



# Dependence Analysis for Parallelization of Sequential Programs

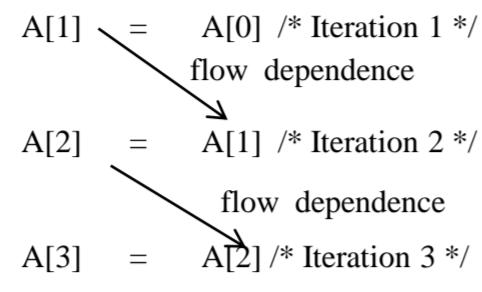
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## State-of-the-Art

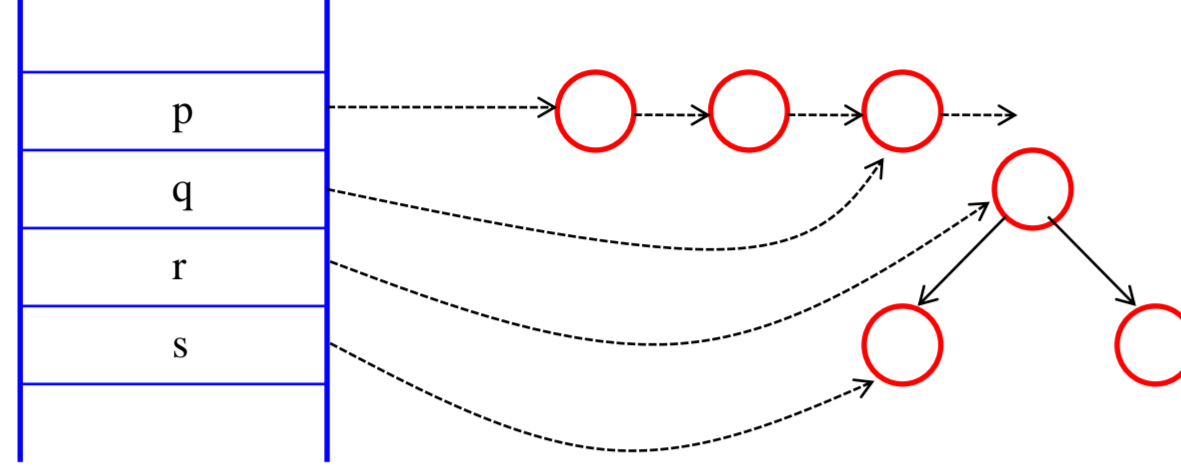
Automatic Parallelization Of Sequential Programs (using *Compile Time Analysis*) :

➤ Static data structures (static arrays or stack directed pointers).

```
for(i = 0; i <= n; i++) {
  ...
  A[i + 1] = A[i]
  ...
}
```



➤ Dynamic memory (Heap) structures

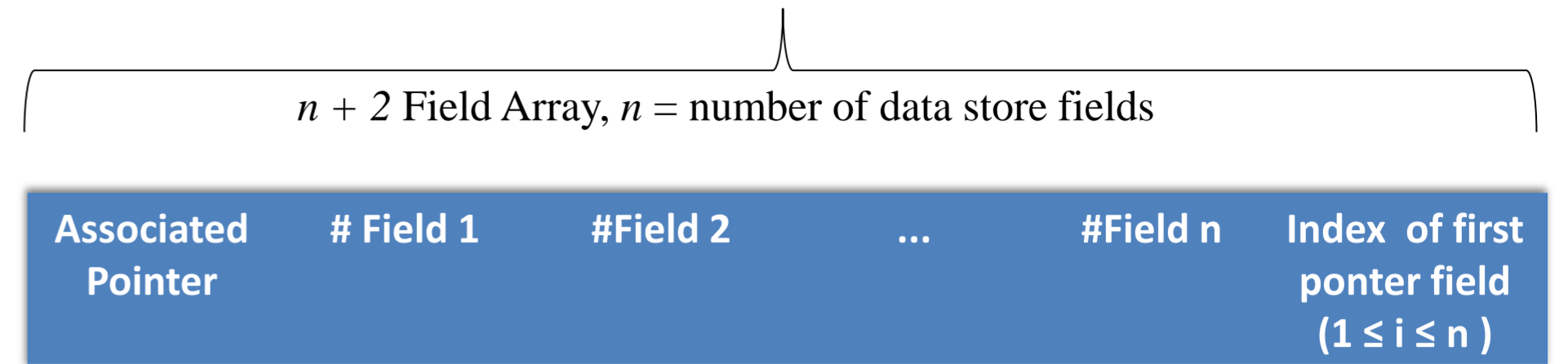


### Challenges!!

- Heap structure
- Unknown at compile time
- Potentially Unbounded
- Not limited by the creating scope.

## Dependence Detection

Path Abstraction :

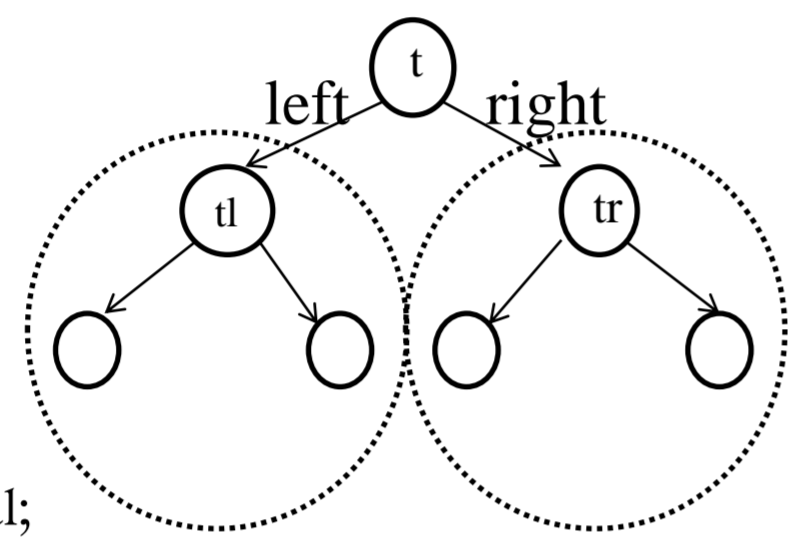


Double linked list : two pointer fields as next, prev  
one data field as num

path  $p \rightarrow next \rightarrow next \rightarrow prev$  abstracted as  $\langle p, 2(\#next), 1(\#prev), 0(\#num), 1 \rangle$ .

## Application

```
void treeAdd(tree *t)
{
  if(NULL == t)
    return;
  tl = t->left;
  treeAdd(tl);
  tr = t->right;
  treeAdd(tr);
  t->val = tl->val + tr->val;
}
```



### Observation :

- Computation of  $t$  depends on that of  $tl$  and  $tr$ .
- Computation of  $tl$  and  $tr$  can be done in parallel.
- With  $n$  processing units ( $n \rightarrow$  number of tree nodes), time required =  $O(\log n)$

	Associated Pointer	Tag	next	prev	num	Index	Tag	next	prev	num	Index
$p=list;$	$p$		0	0	0	0					
while()						Iter1					Iter2
$temp=p->num;$	$p$	Read	0	0	1	0	Read	1	0	1	1
if(cond){											
$p\_nxt = p->next$	$p\_nxt$		1	0	0	1		2	0	0	1
$p\_nxt->num=temp;$	$p\_nxt$	Write	1	0	1	1	Write	2	0	1	1
else{											
$p\_prv=p->prev;$	$p\_prv$		0	1	0	2		1	1	0	1
$p\_prv->num=temp;$	$p\_prv$	Write	0	1	1	2	Write	1	1	1	1
$p=p->next;$	$p$		1	0	0	1		2	0	0	1

Paths  $(p)\langle 0,0,1,0,0 \rangle$  conflicts with  $(p\_prv)\langle 1,1,1,1,1 \rangle$

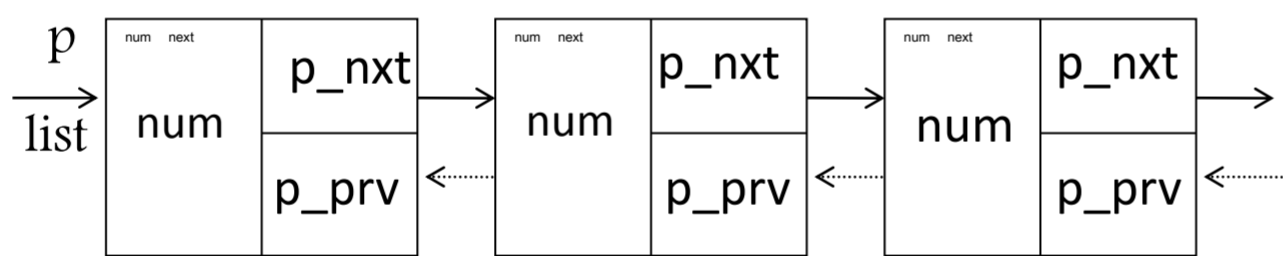
&  $(p\_nxt)\langle 1,0,1,1 \rangle$  conflicts with  $(p)\langle 1,0,1,1 \rangle$

as inferred by the **path alias information**

## Motivation

Given a heap traversal code and a heap data structure

```
p=list;
while(p->next != NULL){
S1: temp = p->num;
  if(cond){
S2:  p_nxt = p->next;
S3:  p_nxt->num = temp;
  }else{
S4:  p_prv = p->prev;
S5:  p_prv->num = temp;
  }
S6:  p = p->next; }
```



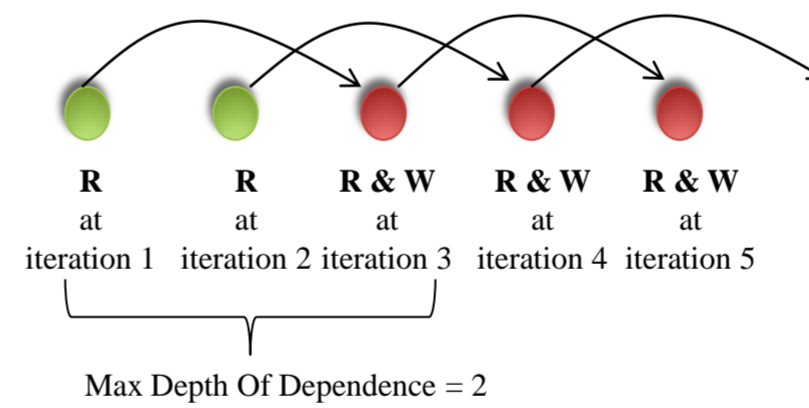
Can we Parallelize the above heap traversal code

## Stopping Criteria

Max Depth of Dependence

```
p=list;
while(p->next != NULL){
S1: q = p;
S2: ... = p->num;
S3: q = q->next;
S4: q = q->next;
S5: q->num = ...;
S6: p = p->next; }
```

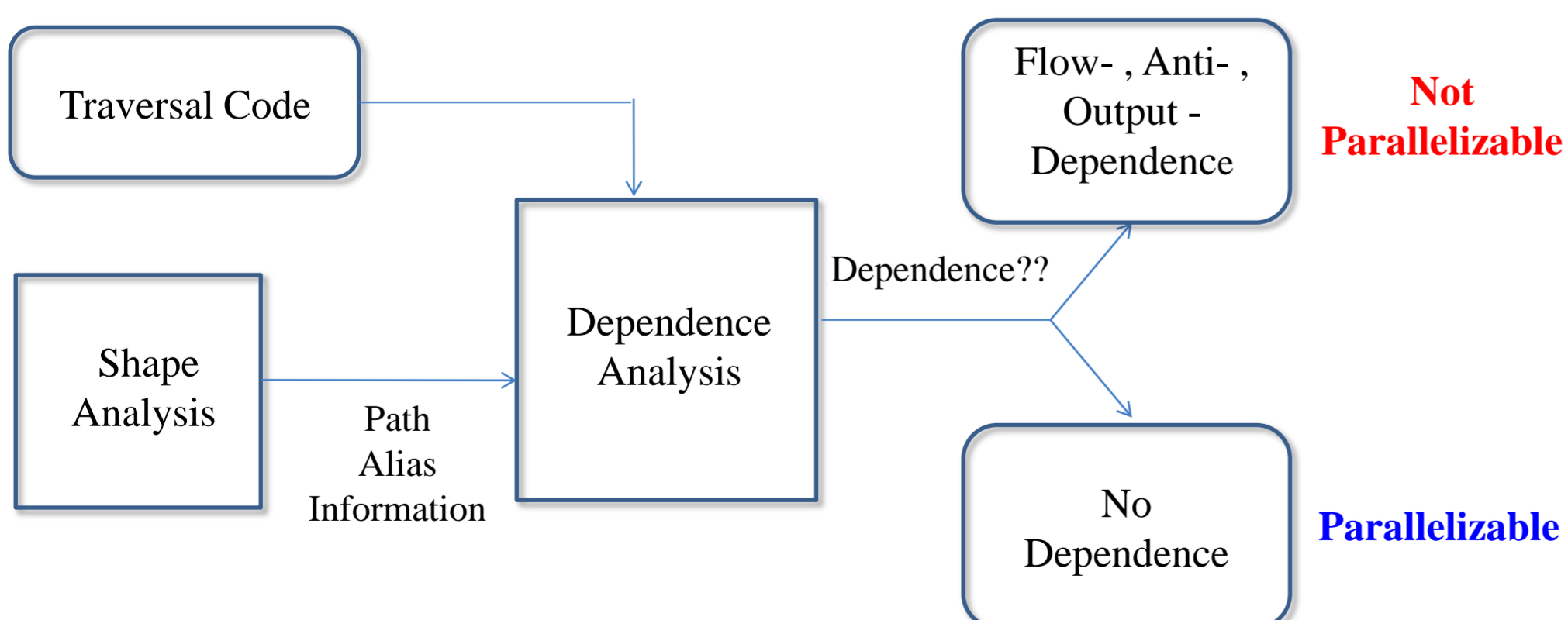
```
p=list;
while(p->next != NULL){
S1: q = p;
S2: ... = p->num;
S3: while(i <= n) {
S4:  q = q->next;
S5:  i++;
S6: }
S5: q->num = ...;
S6: p = p->next; }
```



Cannot Determine Max Depth Of Dependence

Conservative Decision (Not Parallelizable)

## How To??



- Two paths are alias if they access same node.
- Dependence analysis detects conflicting node accesses.

## Conclusion And Future Work

- Dependence detection technique depends on feasibility of depth of dependence computation.
- *Plug and Play* shape analysis framework.
- Fast dependence analysis; No shape graph manipulation.

### Current Activity:

Implementing a prototype of our analysis for a subset of JAVA using Soot framework.

### Future Plans:

To support complete JAVA and show effectiveness on large benchmarks

### References

1. Detecting Parallelism in C Programs with Recursive Data Structures., R. Ghiya, L.J. Hendren and Yingchun Zhu.
2. A new Dependence Test based on Shape Analysis for pointer-based Codes., A.Navarro, F. Corbera, R. Asenjo, A. Tineo, O. Plate and E.L. Zapata.
3. Heap reference analysis using access graphs, Khedker Uday P. and Sanyal, Amitabha and Karkare, Amey.